	of printed pages = 4
EI 1814	105
Roll No. o	f candidate
	2023
	B.Tech. 4th Semester End-Term Examination
	SIGNALS AND SYSTEMS
	New Regulation
	(w.e.f. 2017-18) & New Syllabus (w.e.f. 2018-19)
Full Mar	Time - Three hours
	The figures in the margin indicate full marks for the questions.
	Answer Question No. 1 and any four from the rest.
Cho	ose the correct answers from the following multiple choice questions : $(10 \times 1 = 10)$
., Ono	엄마사 없이 마다 그 그 그 그 이 없는데 그는 그 이 없는데 그는 그를 하게 되었다.
	The unit impulse is a signal with
(i)	The unit impulse is a signal with (a) infinite magnitude and zero duration
	(a) infinite magnitude and zero duration (b) infinite magnitude and zero duration but with unit area
	 (a) infinite magnitude and zero duration (b) infinite magnitude and zero duration but with unit area
	 (a) infinite magnitude and zero duration (b) infinite magnitude and zero duration but with unit area (c) finite magnitude and zero duration but with unit area
(i)	 (a) infinite magnitude and zero duration (b) infinite magnitude and zero duration but with unit area (c) finite magnitude and zero duration but with unit area (d) finite magnitude and infinite duration
	 (a) infinite magnitude and zero duration (b) infinite magnitude and zero duration but with unit area (c) finite magnitude and zero duration but with unit area

(a)

(c)

signal is

(iii)

periodic and odd signal

a unit step signal

a unit parabolic signal

aperiodic and odd signal

a unit ramp signal

a unit impulse signal

(d)

The response of an LTI system is called the impulse response if the input

(b)

(d)

(iv)	The	system characterized by the ed	quatio	on :	y(t) = ax(t) + b i	s		
	(a)	linear for any value of b	(b)	lir	near for $b > 0$			
	(c)	linear for $b < 0$	(d)	no	n-linear			
(v)	The	e only non-zero Fourier series	s coef	ffici	ent(s) of the s	ignal $x(t) = \cos \omega$	t	
	is/aı							
	(a)	1	(b)	$\frac{1}{2}$				
	(c)	$\frac{1}{2}$ and $\frac{1}{2}$	(d)	1	and 1			
(vi)		If the Fourier series coefficients of a signal are periodic, then the signal must be						
	(a)	continuous-time, periodic						
	(b)	continuous-time, non-period	ic					
	(c)	discrete-time, periodic						
	(d)	discrete-time, non-periodic	1					
(vii)	If th	If the notation * is used to denote the convolution, $X(\omega)$ and $Y(\omega)$ are the						
		Fourier transform of $x(t)$ and $y(t)$ respectively then the Fourier transform						
	of x	$x(t)^*y(t)$ is		W. T.		100		
4 de la 1	(a)	$X(\omega)Y(\omega)$	(b)	$X(\omega)^*Y(\omega)$			
, X	(c)	$\frac{1}{2\pi}X(\omega)Y(\omega)$	(c	l)	$\frac{1}{2\pi} [X(\omega)^*Y(\omega)^*]$	υ)]		
(viii) The	e discrete time Fourier trans	form	is p	periodic with po	eriod		
	(a)			b)	2π			
	(c)	$\pi/2$, ₍₁₎	d)	$\pi/4$			
(ix)		The z- transform and ROC of a signal $x(n) = u(n)$ is						
		X(z)=1 and ROC, $ z =0$						
		X(z)=z and ROC, $ z >1$						
	(c)	X(z)=z/(z-1) and ROC,	z	>1				
	(4)	X(z) = z/(z-1) and ROC,	z	<1				

- (x) The Nyquist rate of the signal $x(t) = \sin(200 \pi t)$
 - (a) 400 Hz

(b) 200 Hz

(c) 100 Hz

- (d) 1/200 Hz
- 2. (a) Plot the following signals:
 - (i) x(t) = u(t+1) u(t-1)
 - (ii) $g[n] = \sum_{m=-1}^{m=1} \delta[n-2m].$
 - (b) Determine energy and power of the signal: $x(t) = e^{-3t} u(t)$
 - (c) What is meant by impulse response of an LTI system? The impulse response of an LTI system is $h[n] = e^{-4n}u[n-1]$. Is the system causal? Justify your answer.
- 3. (a) Compute the convolution of the following two signals: $x[n] = \{0, 1, -1\} \text{ and } h[n] = \{0, 1\}$
 - (b) Examine the stability of a continuous-time LTI system whose impulse response is $h(t) = e^{-2t} u(t-1)$.
 - (c) Show that an LTI system with impulse response $h_1[n] = \delta[n-1]$ is the inverse of another LTI system with impulse response $h_2[n] = \delta[n+1]$. 5
- 4. (a) Determine the fundamental frequency and the Fourier series coefficients of continuous time periodic signal, $x(t)=1+\cos\left(\frac{2\pi}{5}\right)t+\sin\left(\frac{3\pi}{5}\right)t$.
 - (b) A continuous-time periodic signal x(t) has the fundamental frequency ω_0 and Fourier series coefficient a_k . Determine the Fourier series coefficient of the following signals using properties:
 - (i) $x(t-t_0)$ and

(ii) $\frac{dx(t)}{dt}$ where t_0 is a time – shift.

[Turn over

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- Determine the Fourier transform of the continuous-time signal and plot the (a) magnitude and phase spectrum: $x(t) = e^{-2t} u(t)$.
 - The impulse response of a discrete-time LTI system is given by $h[n] = \left(\frac{1}{2}\right)^n u[n]$. Determine the output response y[n] for the input
 - $x[n] = \left(\frac{3}{4}\right)^n u[n]$ using Fourier Transform. 8
- State sampling theorem. Describe briefly the steps associated with the 6. (a) discrete-time processing of continuous-time signals.
 - What is meant by "aliasing"? What corrective measures will you put forward (b) 6 to combat the effect of aliasing?
 - 3 Define Nyquist rate and Nyquist interval for sampling of a signal. (c)
- Determine the z-transform of (a)
 - $x[n] = \left(\frac{1}{2}\right)^n u[n] + 2^n u[n]$ and depict the ROC and the locations of poles and 5 zeros in the z-plane.
 - Explain at least two properties of z-transform. 4 (b)
 - Define FIR and IIR system. A system is described by the following system (c) function. Derive its difference equation assuming x[n] and y[n] as input and output respectively. State whether the system is IIR or FIR?
 - $H(z) = \frac{1-2z^{-1}}{1-\frac{2}{2}z^{-1}}$.